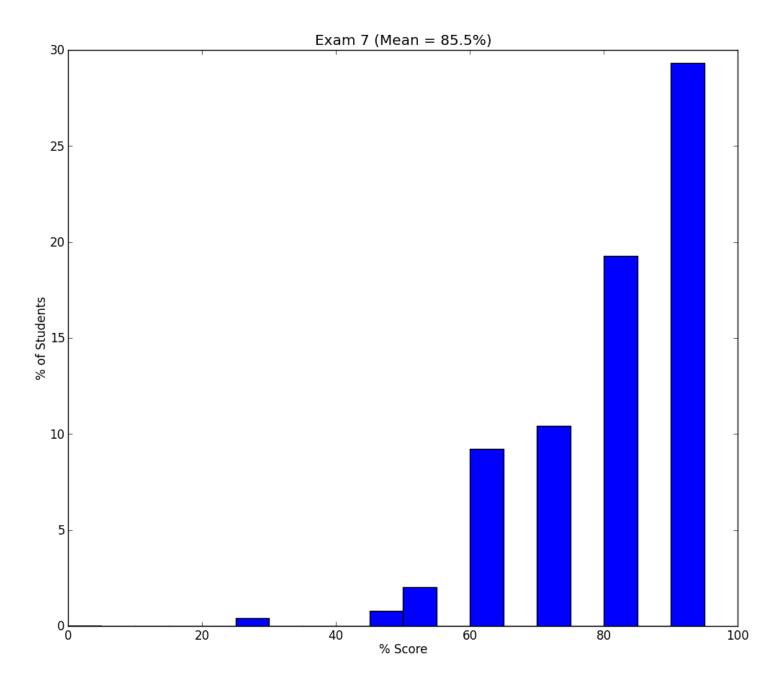
9-1) How many degrees in 1 radian?

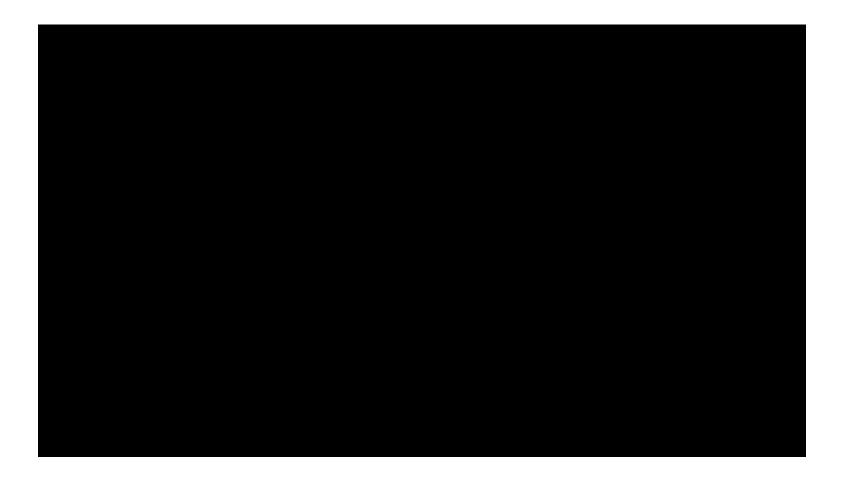
- A) $1 \text{ rad} = 2\pi \text{ degrees}$
- B) $1 \text{ rad} = 180^{\circ}$
- C) $1 \text{ rad} = 10^{\circ}$
- D) $1 \text{ rad} = 57.3^{\circ}$
- E) Radian is not a measure of angle, so the question makes no sense.



Rotational Motion

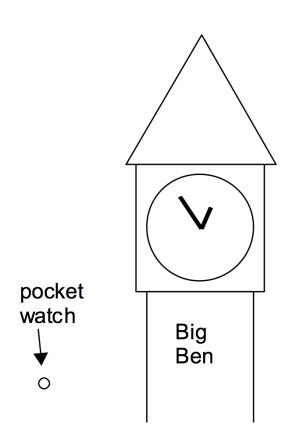


Full Size Hot Wheel Track



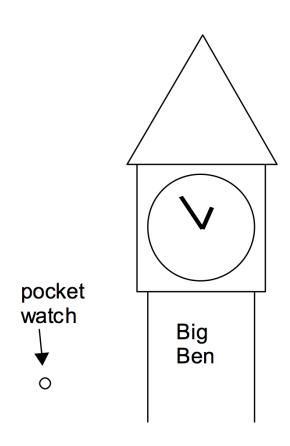
9-2a) A pocket watch and Big Ben are both keeping perfect time. Which minute hand has the larger magnitude angular velocity ω ?

- A) Pocket watch's
- B) Big Ben's
- C) Same ω on both.



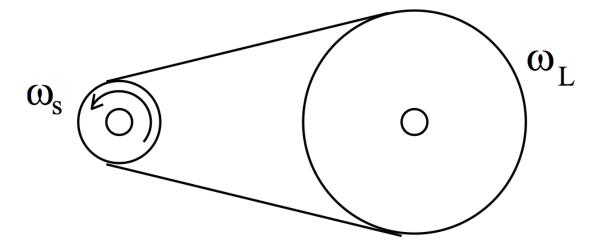
9-2b) A pocket watch and Big Ben are both keeping perfect time. Which minute hand's tip has the larger magnitude tangential velocity?

- A) Pocket watch's
- B) Big Ben's
- C) Same ω on both.



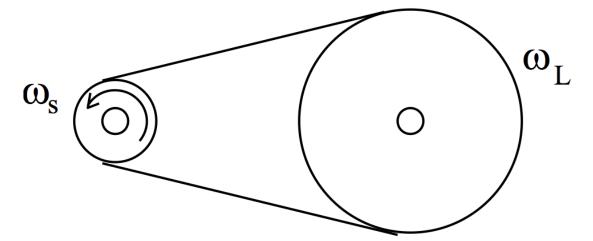
9-3a) A small wheel and a large wheel are connected by a belt. The small wheel is turned at a constant angular velocity ω_s . How does the magnitude of the angular velocity of the large wheel ω_L compare to that of the small wheel?

- A) $\omega_{S} = \omega_{L}$
- B) $\omega_{S} > \omega_{L}$
- C) $\omega_{S} < \omega_{L}$



9-3b) A small wheel and a large wheel are connected by a belt. The small wheel is turned at a constant angular velocity ω_s . There is a bug S on the rim of the small wheel and another bug L on the rim of the large wheel. How do their speeds compare?

- A) S = L
- B) S > L
- C) S < L



9-4) A student sees the following question on an exam:

A flywheel with mass M=120 kg, and radius r=0.6 m, starting at rest, has an angular acceleration of $\alpha=0.1$ rad/s². How many revolutions has the wheel undergone after 10 s?

Which formula should the student use to answer the question?

A)
$$\omega = \omega_0 + \alpha t$$

B)
$$\theta = \theta_0 + \omega_0 t + \frac{1}{2} \alpha t^2$$

C)
$$\omega^2 = \omega_0^2 + 2\alpha(\theta - \theta_0)$$

9-5) A student in Physics 183 sees the following question on LON-CAPA due this Sunday.

An engine flywheel turns with constant angular speed of 100 rev/min. When the engine is shut off, friction slows the wheel to rest in 2 hours. What is the magnitude of the constant angular acceleration of the wheel? Give the answer in units of rev/min². The student writes:

$$\alpha = \frac{\omega - \omega_0}{t}$$
, so $|\alpha| = \frac{\omega_0}{t} = \frac{2\pi f}{t} = \frac{2\pi (100 rev / min)}{120 min}$

Does the answer come out correctly with the desired units of rev/min²?

A) Yes B) No

Most modern HDD can spin up to 7200 rpm. If the platters get up to that speed in 0.25s, what angular acceleration is needed to do this?

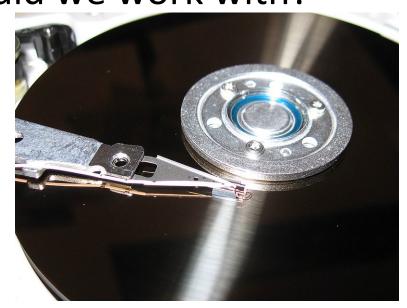
9-6a) Which equation should we work with?

A)
$$\omega = \omega_0 + \alpha t$$

B)
$$\theta = \theta_0 + \omega_0 t + \frac{1}{2} \alpha t^2$$

C)
$$\omega^2 = \omega_0^2 + 2\alpha(\theta - \theta_0)$$

D) Something else



These platters are 3.5 in in diameter. How fast is the edge of the platter moving when it gets up to speed?

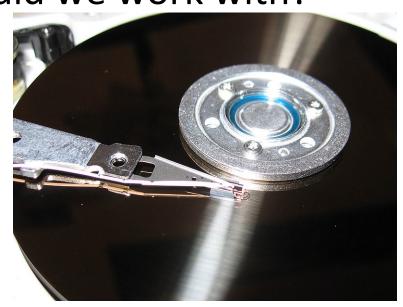
9-6b) Which equation should we work with?

A)
$$\omega = \omega_0 + \alpha t$$

B)
$$\theta = \theta_0 + \omega_0 t + \frac{1}{2} \alpha t^2$$

C)
$$\omega^2 = \omega_0^2 + 2\alpha(\theta - \theta_0)$$

D) Something else



How many times did the platter make a full rotation to get up to 7200 rpm?

9-6c) Which equation should we start working with?

A)
$$\omega = \omega_0 + \alpha t$$

B)
$$\theta = \theta_0 + \omega_0 t + \frac{1}{2} \alpha t^2$$

C)
$$\omega^2 = \omega_0^2 + 2\alpha(\theta - \theta_0)$$

D) Something else



Announcements

- Prof. Caballero will be out of town Saturday-Tuesday (email contact should be fine)
 - Prof. Westfall will proctor the exam 8
 - Dr. Laverty will teach Tuesday's class
- You received an extra 0.4 points on Exam 6; it was applied to question 1.

How quickly can the cylinder head read 1 bit of information once the drive has spun up? Let's say the bit we want to read is $5\mu m$ ($5x10^{-6} m$) long and lives 2.5 cm from the center of the platter.

9-6d) Which equation should we work with?

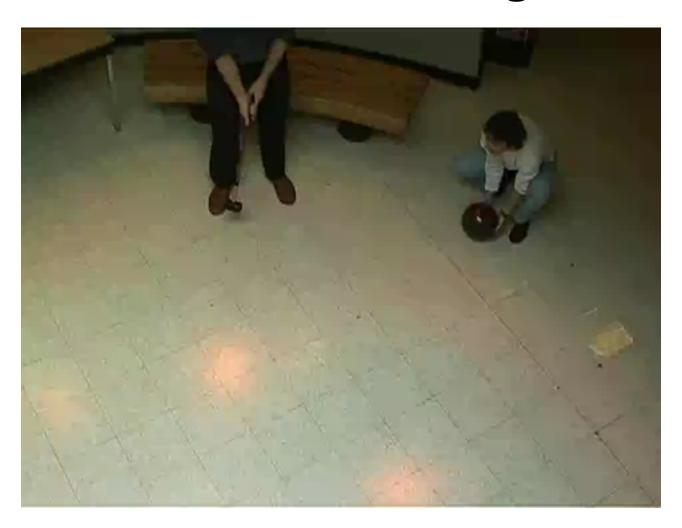
A)
$$\omega = \omega_0 + \alpha t$$

B)
$$\theta = \theta_0 + \omega_0 t + \frac{1}{2} \alpha t^2$$

C)
$$\omega^2 = \omega_0^2 + 2\alpha(\theta - \theta_0)$$

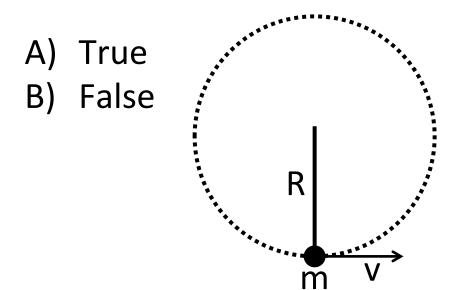
- 9-7) We want an object to move in a circle at constant speed, what kind of force should be applied?
- I. A force with constant magnitude
- II. A force with changing magnitude
- III. A force that points towards the inside of the circle
- IV. A force that points towards the outside of the circle
- B) II & III D) II & IV E) None of these

David hits a bowling ball



9-8) A rock (mass, m) is swung in a vertical circle (radius, R) on the Earth. At the bottom of the swing, the rock is moving at a speed v.

True or False: At this location, the force exerted on the rock **by the rope** is equal to mv²/R.



9-9a) You are driving in your car and you make a quick left hand turn, which way do you "feel pushed"?

- A) Left
- B) Right

9-9b) You are riding a merry-go-round, which way do you "feel pushed"?

- A) Inward
- B) Outward

9-10) A ladybug is clinging to the rim of a spinning wheel which is spinning CCW and is speeding up. At the moment shown, when the bug is at the far right, what is the approximate direction of the ladybug's acceleration?

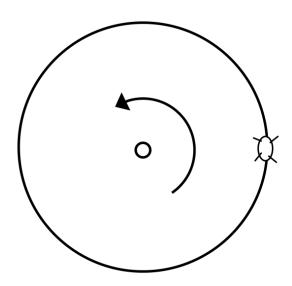


B) 1

C) →

D) ←

E) 🤨



9-11) For objects that move in circles, it's useful to think about their tangential and radial accelerations.

In the kinematic equations we discussed earlier,

$$\omega = \omega_0 + \alpha t \qquad \theta = \theta_0 + \omega_0 t + \frac{1}{2} \alpha t^2$$

$$\omega^2 = \omega_0^2 + 2\alpha(\theta - \theta_0)$$

Which linear acceleration is the angular acceleration, α , related to?

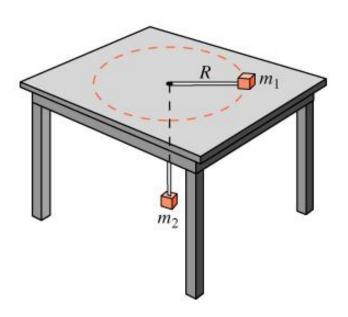
- A) Tangential, a_{\parallel}
- B) Radial, a_{\perp}
- C) Both
- D) It depends

An object (mass, m_1) slides on a horizontal frictionless table. It is tied to an object of mass m_2 , which is under the table. The string is fed through a hole in the table.

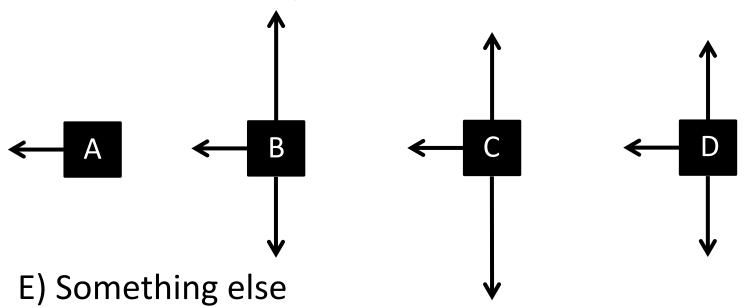
What is the speed needed to keep the mass from falling down?

9-12a) Ok, where do we start?

- A) Find the right kinematic equation
- B) Use the circular motion equations
- C) Draw the free-body diagrams
- D) Something else

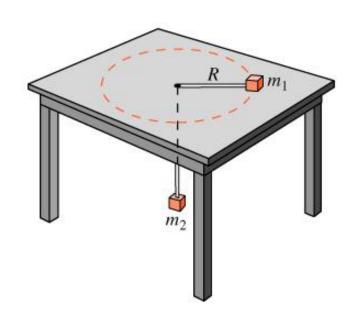


9-12b) Which is the correct FBD for m_1 ? (I've left the labels off.)

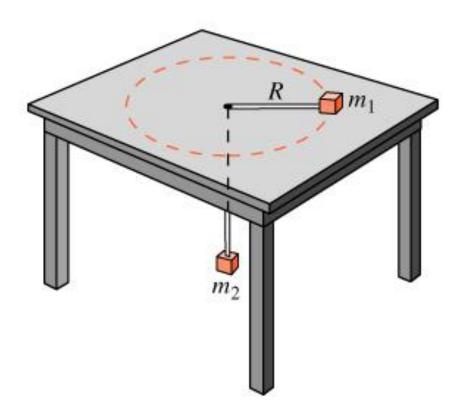


9-12c) What is the force the rope exerts on m_1 equal to?

- A) The net force on m₁
- B) M_2g
- C) M_1v^2/R
- D) Two of these
- E) All of these



Discussion: How do you feel about the fact the m_1 is accelerating, but m_2 is not?



Example: Greezed Lightnin'

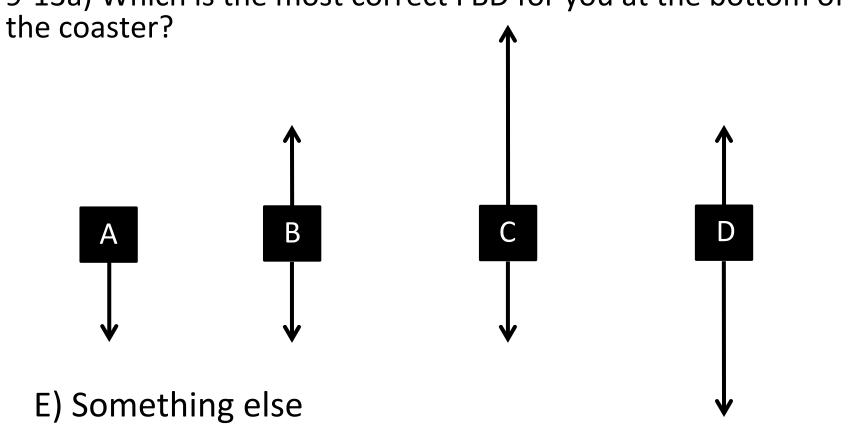
Greezed Lightnin' was a roller coaster at Astroworld (RIP 2005, ③) with a 40 m loop in the middle. It was designed so you felt 3 times heavier at the bottom of the loop. How fast did the coaster car have to be moving to make you feel this way?





Example: Greezed Lightnin'

9-13a) Which is the most correct FBD for you at the bottom of

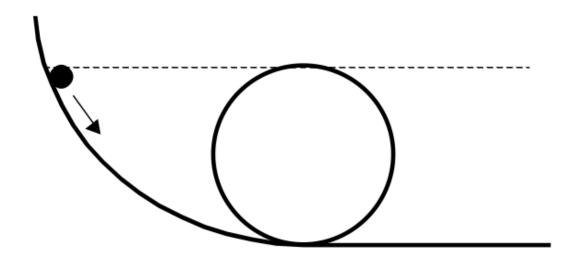


Example: Greezed Lightnin'

9-13b) For you to feel 3 times your weight, how big is the normal force?

- A) N = 2mg
- B) N = 3mg
- C) N = 4mg
- D) Something else

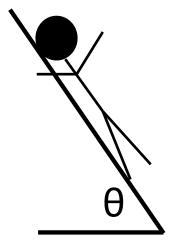
6-12b) A ball is released from the same height as the loop below. The loop is a rail with no top. Will the ball make it around the loop?



A) Yes B) No C) Impossible to tell

The Gravitron is a carnival ride that give you a sense of "weightlessness" by exploiting static friction. With what speed does a Gravitron of radius R need to be spinning to make you feel weightless? (There's static friction, μ_s , between you and the Gravitron.)

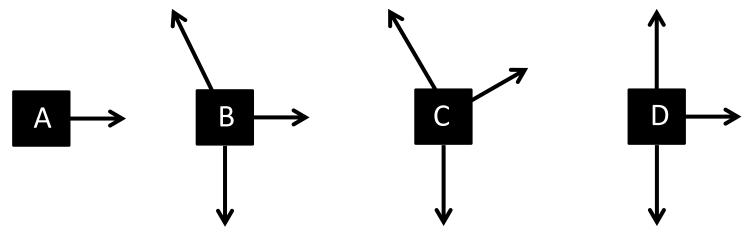




9-14a) Ok, where do we start?

- A) Find the right kinematic equation
- B) Use the circular motion equations
- C) Draw the free-body diagrams
- D) Something else

9-14b) Which is the most correct FBD for you? (I've left the labels off. Neglect the relative lengths here.)



E) Something else

9-14c) What is the condition for feeling "weightless"?

- A) No frictional force
- B) No acceleration up the ramp
- C) No acceleration in the vertical direction
- D) Something else